# FACULTY OF ENGINEERING \& TECHNOLOGY 

Effective from Academic Batch: 2022-23

| Programme: | Bachelor of Technology (Information Technology) |
| :--- | :--- |
| Semester: | II |
| Course Code: | 202000211 |
| Course Title: | Linear Algebra, Vector Calculus and ODE |
| Course Group: | Basic Science Courses |

Course Objectives: The course is intended to develop computational proficiency involving procedures in Matrices, Linear algebra, Vector Calculus and Differential Calculus which are useful to all engineering disciplines.

## Teaching \& Examination Scheme:

| Contact hours per week |  |  | Course Credits | Examination Marks (Maximum / Passing) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Lecture | Tutorial | Practical |  | Theory |  | J/V/P* |  | Total |
|  |  |  |  | Internal | External | Internal | External |  |
| 3 | 2 | 0 | 4 | $50 / 18$ | $50 / 17$ | 25/9 | 25/9 | 150 / 53 |

*J: Jury; V: Viva; P: Practical

## Detailed Syllabus:

| Sr. | Contents | Hours |
| :---: | :--- | :---: |
| $\mathbf{1}$ | Applications of Matrices: <br> Matrices and Elementary Row Operations, Echelon and Reduced Row <br> Echelon forms of a Matrix, Solutions of System of Nonhomogeneous <br> and Homogeneous Linear Equations: Gaussian Elimination and Gauss- <br> Jordan Method, Inverse of a Matrix by Gauss-Jordan Elimination <br> Method, Rank of a Matrix, Eigenvalues and Eigenvectors of a Matrix, <br> Caley-Hamilton Theorem, Diagonalization | $\mathbf{1 0}$ |
| $\mathbf{2}$ | Linear Algebra: <br> Vector Spaces, Subspaces of a Vector Space, Linear Independence and <br> Dependence of Vectors, Span of a Set of Vectors, Basis and Dimension | $\mathbf{0 8}$ |
| $\mathbf{3}$ | Vector Calculus: <br> Vector and Scalar Functions and Fields, Derivatives, Gradient of a <br> Scalar Field, Directional Derivative, Divergence of a Vector Field, Curl <br> of a Vector Field, Line Integrals, Line Integrals Independent of Path, <br> Green's Theorem in the Plane (Without Proof), Surface Integrals, <br> Divergence Theorem of Gauss (Without Proof), Stoke's Theorem <br> (Without Proof) | $\mathbf{1 2}$ |

UNIVERSITY
Aegis: Charutar Vidya Mandal (Estd.1945)

| $\mathbf{4}$ | Differential Equations of First Order: <br> Bernoulli's Equation, Exact Differential Equations, Equations Reducible <br> to Exact Equations, Clairaut's Equation | $\mathbf{0 5}$ |
| :---: | :--- | :---: |
| $\mathbf{5}$ | Higher Order Ordinary Differential Equations: <br> Linear Differential Equations with Constant Coefficients, Inverse <br> Operator, Rules for Finding Particular Integral when X=eax, sin(ax + b), <br> cos(ax+b), xm, eaxV, V being a function of x. Method of Variation of <br> Parameters, Method of Undetermined Coefficients, Euler - Cauchy <br> differential equations, Legender's Linear Equation$\quad \mathbf{1 2}$ |  |

## List of Practicals / Tutorials:

| $\mathbf{1}$ | System of Linear Equations- Non-Homogeneous and Homogeneous |
| :---: | :--- |
| $\mathbf{2}$ | Rank of a matrix and inverse of a matrix by Gauss Jordan Method |
| $\mathbf{3}$ | Eigen Values and Eigen Vectors. Cayley's Hamilton Theorem and it's applications |
| $\mathbf{4}$ | Diagonalization of a matrix. |
| $\mathbf{5}$ | Vector Spaces and Sub Spaces |
| $\mathbf{6}$ | Linear independence and linear independence. Span of a vector space and Basis, <br> $\mathbf{7}$ <br> Dimension |
| $\mathbf{8}$ | Gradient, directional derivative, divergence, curl |
| $\mathbf{9}$ | First Order differential equations- Bernoulli's Equation, Exact, Clairaut's |
| $\mathbf{1 0}$ | Higher order differential equations with constant coefficients having standard functions as <br> X given in the syllabus |
| $\mathbf{1 1}$ | Method of Variation of Parameters, Method of Undetermined Coefficients, Legender's <br> Linear Equation |

## Reference Books:

| $\mathbf{1}$ | Advanced Engineering Mathematics, Erwin Kreyszig, Wiley Student Edition |
| :---: | :--- |
| $\mathbf{2}$ | Higher Engineering Mathematics, Dr. B.S. Grewal, Khanna Publishers |
| $\mathbf{3}$ | Engineering Mathematics Vol II S S Sastry, Prentice Hall of India |
| $\mathbf{4}$ | Elementary Linear Algebra Howard Anton, John Wiley \& Sons |
| $\mathbf{5}$ | Introduction to Engineering Mathematics- Vol II H K Dass, S Chand Publication |

## Supplementary learning Material:

| $\mathbf{1}$ | Lecture Note |  |
| :---: | :--- | :--- |
| $\mathbf{2}$ | NPTEL Video Lectures Matrices and Linear Algebra: <br> https://nptel.ac.in/courses/111106051/ |  |
| $\mathbf{3}$ | NPTEL Video Lectures Differential Equations: <br> https://nptel.ac.in/courses/111106100/ |  |
| $\mathbf{4}$ | NPTEL Vector Calculus: <br> https://nptel.ac.in/courses/111/105/111105122/ |  |

## Pedagogy:

- Direct Classroom teaching
- Audio Visual presentations/demonstrations
- Assignments/Quiz
- Continuous assessment (Tutorials)
- Interactive methods
- Seminar/Poster presentation

Suggested Specification table with Marks (Theory) (Revised Bloom's Taxonomy):
Distribution of Theory Marks $\quad$ R: Remembering; U: Understanding; A: Application,

| $\mathbf{R}$ | $\mathbf{U}$ | $\mathbf{A}$ | $\mathbf{N}$ | $\mathbf{E}$ | $\mathbf{C}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{N}:$ Analyze; E: Evaluate; $\mathbf{C}$ : Create |  |  |  |  |  |

Note: This specification table shall be treated as a general guideline for students and teachers. The actual distribution of marks in the question paper may vary slightly from above table.

Course Outcomes (CO):

| Sr. | Course Outcome Statements | \%weightage |
| :---: | :--- | :---: |
| $\mathbf{C O - 1}$ | Use the matrix methods and certain techniques to solve the system of <br> linear equations and to find eigen values, eigen vectors of a matrix to <br> check whether it is diagonalizable. | $\mathbf{2 0}$ |
| $\mathbf{C O - 2}$ | Understand the abstract notions of vector space and the dimensionality <br> of it. | $\mathbf{2 0}$ |
| $\mathbf{C O - 3}$ | Learn different notions of vector and scalar fields with their properties. <br> Understanding the major theorems (Green's, Stokes', Gauss') and some <br> applications of these theorems <br> $\mathbf{C O - 4}$Apply some methods of differential equations like Bernoulli's Equation, <br> Exact, Clairaut's which remains to study at their plus two level. | $\mathbf{1 0}$ |
| $\mathbf{C O - 5}$ | To find solution of higher-order linear differential equations of constant <br> coefficients by using different methods. | $\mathbf{2 0}$ |


| Curriculum Revision: | 2.0 |
| :--- | :--- |
| Version: | June-2022 |
| Drafted on (Month-Year): | - |
| Last Reviewed on (Month-Year): |  |
| Next Review on (Month-Year): | June-2025 |

